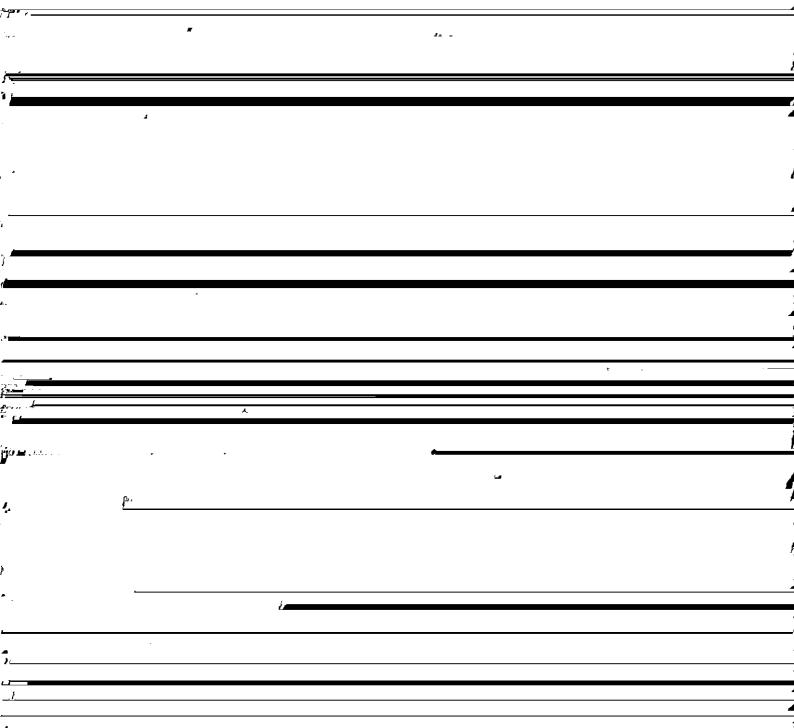
KAWASAKI STEEL TECHNICAL REPORT No.1 (September 1980)

Evaluation of Thermal Shock Resistance of Refractories by Using Acoustic Emission Technique*

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Hisashi KISHIDAKA**

Theoretical and experimental problems encountered in evaluating thermal shock resistance of refractories are summarized and a newly developed evaluation method using acoustic emission for detection of cracking is explained.

It has been clarified that thermal shock conditions, specimen dimensions and restraining conditions, which were ignored in the previous studies, have a great influence on the thermal shock damage behavior. The maketian band of the thermal shock damage behavior.



tion is given below on the assumption that disk-shaped Griffith cracks with a radius *l* exist uniformly

tions. Among these, following three equations assum-

between them.

used.

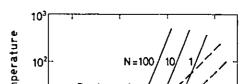
During rapid heating:

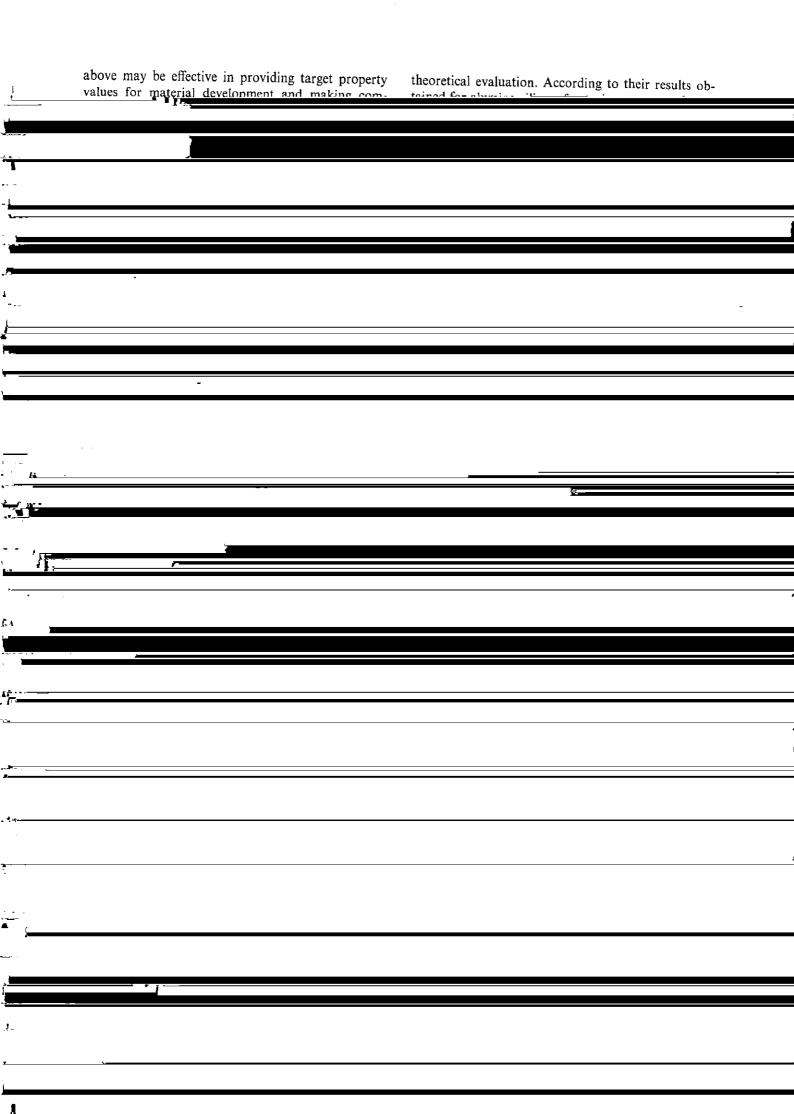
$$R = \frac{\sigma_{\mathbf{f}} \cdot (1 - \mathbf{v})}{E\alpha} \quad \cdots \quad \mathbf{(1)}$$

During slow heating:

$$R' = \frac{\sigma_f \cdot k(1-\nu)}{2}$$

$$\Delta T_{\rm C} = \left[\frac{\pi \gamma (1 - 2\nu)^2}{2E\alpha^2 (1 - \nu^2)} \right]^{1/2} \times \left[1 + \frac{16(1 - \nu^2)Nl^3}{9(1 - 2\nu)} \right]^{l-1/2} \cdots (6)$$





tion method of crack initiation and propagation include the possibility of monitoring in real time, high sensitivity and high accuracy. On the other hand, there has been some demerits such as under-development in quantitative elucidation of AE mechanism and a difficulty in the calibration of the measurement system. In the following section, the authors will present these experimental results and discuss the capabilities of the evaluation for thermal shock resistance of refractories.

3 Thermal Stress Produced in Refractories during Experiment by Panel Method

sional plane model, and derived the following relation on the assumption that a crack extends when the thermal stress exceeds the tensile stress of the refractory.

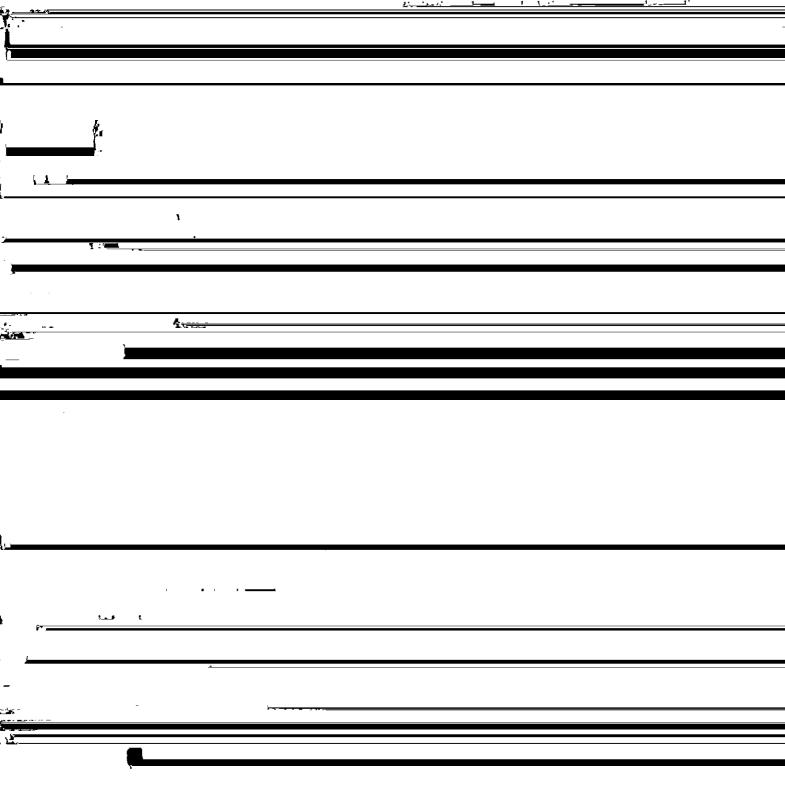
$$\frac{\mathrm{d}^2 T}{\mathrm{d}x^2} \left(\frac{b^2}{16 + 3b^2/x^3} \right) \ge \frac{\sigma_{\mathrm{f}}}{E_{\alpha}} \quad \cdots \quad (8)$$

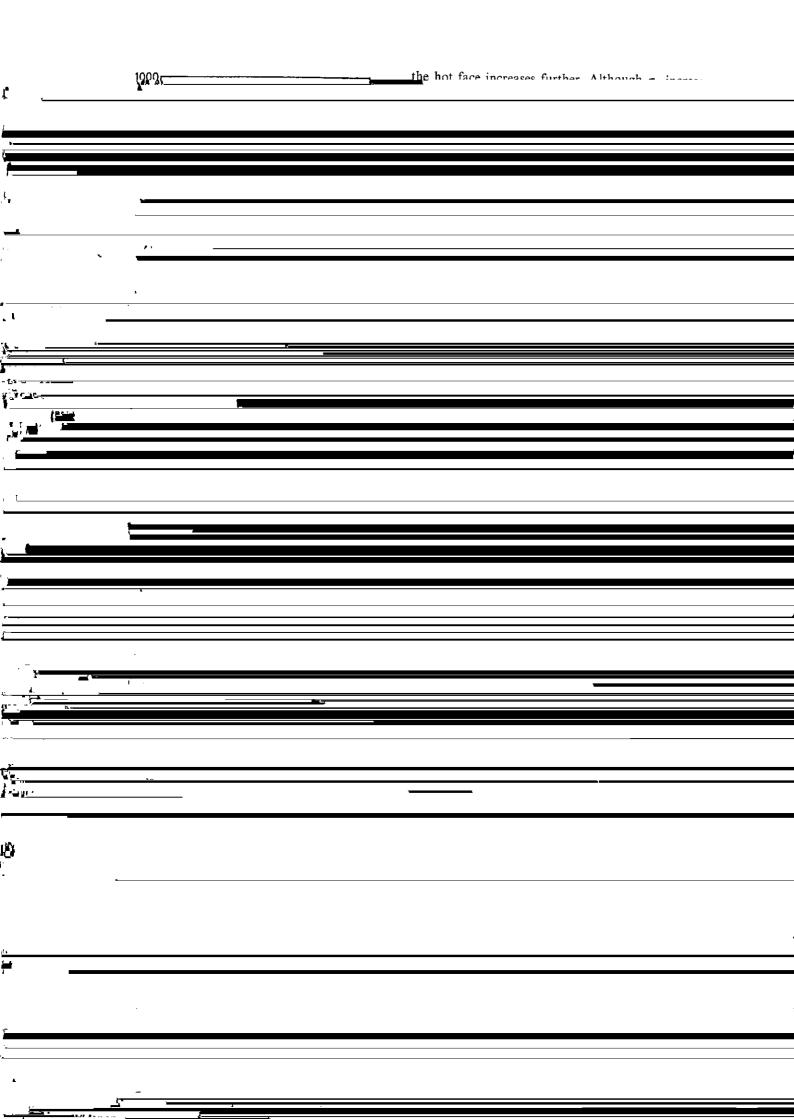
b: Refractory width

x: Distance from hot face

He also demonstrated that the crack position corresponds to that predicted by equation (8).

Such thermo-elastical analytical calculation involves





its time direction resulted to the host face. On		moving away from the hot face. As shown in Fig. 7,	powerful guide to a thermal shock experiment by
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	-	ing stress in the direction parallel to the hot face. On	
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Table 2 Typical properties of refractories 80 ms Sample M D-1 D-4 A MC-1 MC-2 13.8 15.0 13.9 16.4 14.9 14.8 Porosity (%) Sacrier -

